CURRICULUM VITAE
DANIELE ANDREUCCI

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Education.

Institution	*Degree*	*Year*	*Field of study*
University of Firenze (Italy)	Laurea	1982	Mathematics
University of Firenze (Italy)	Doctorate	1989	Mathematics
Northwestern University (U.S.A.)	PhD	1990	Mathematics

Thesis Advisor
Doctorate: M. Primicerio, University of Florence (Italy).
Ph.D.: E. DiBenedetto, Northwestern University (U.S.A.).

Experience.

Position	*Institution*	*Years*
Various scholarships		1983–1990
Researcher	University of Firenze (Italy)	1990–1992
Associate professor	University Sapienza of Roma (Italy)	1992–2000
Full professor	University Sapienza of Roma (Italy)	2000–now

Main scientific interests. I have worked mostly in the field of evolutive partial differential equations, in general of parabolic type.
A non-exhaustive list of past and present scientific interests follows.
Nonlinear degenerate diffusion equations: blow up problems; asymptotic bounds for solutions; links between geometry of domains and behavior of solutions.
Free boundary problems: problems of change of phase; problems in fluid dynamics.
Mathematical problems in biology: phototransduction in retina cells; conduction of electrical currents in biological tissues; transport of ions through cell membranes.
Diffusion in inhomogeneous media.
Control of the wave equation with alternating in time controls.

Teaching. Undergraduate or master level:

Course	*Institution*	*Years*
Rational Mechanics (support)	University of Firenze (Italy)	90–92
Calculus I, II	University Sapienza of Roma (Italy)	92–03, 10–12, 15–now
Rational Mechanics	University Sapienza of Roma (Italy)	04–10, 13–now
Partial Differential Equations	University Sapienza of Roma (Italy)	02–now

Graduate level:

Course	*Institution*	*Years*
Reaction Diffusion Problems	School Math. Phys., Ravello (Italy)	2003
Degenerate Parabolic Eqns	University of Firenze (Italy)	2010
Free Boundary Problems	University Sapienza of Roma (Italy)	2001, 2011
Partial Differential Eqns	University Sapienza of Roma (Italy)	2004, 05, 09, 13, 14, 15.

Graduate Students
Dario Bellaveglia, 2010 University Sapienza of Roma.

Memberships of Scientific Societies.

- Italian Mathematical Union (UMI)
- European Mathematical Society.
- American Mathematical Society.
- Italian National Group for Mathematical Physics (GNFM-INdAM).

Other

- Member of the Faculty Committee of the Doctorate program 'Mathematics for Engineering, Electromagnetics and Nanosciences', University Sapienza of Roma, and Coordinator 2013–2017.
- Head of Department (Dip. di Metodi e Modelli Matematici) 2009-2010.
- Editor of
  - Differential and Integral Equations
  - Rendiconti di Matematica
- Responsible of a local research unit for the projects:
  - PRIN2006 'Mathematics of processes of growth and transport in biomedical and industrial applications'.
  - PRIN2008 'Mathematical models for systems with many components in medical and environmental sciences'.

References

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[5] Daniele Andreucci. Regioni mushy in problemi di cambiamento di fase. *Tesi di Dottorato*, 1988. Firenze.

[6] Daniele Andreucci. Existence and uniqueness of solutions to a concentrated capacity problem with change of phase. *European Journal of Applied Mathematics*, 1:339–351, 1990. Cambridge Univ. press, Cambridge (Gran Bretagna).

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