

Complementi di fisica generale

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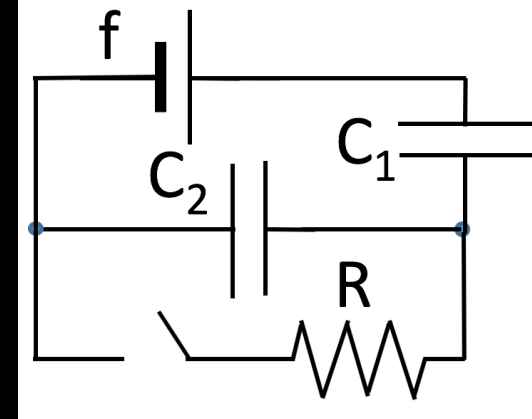
circuati elettrici

esercitazione su:

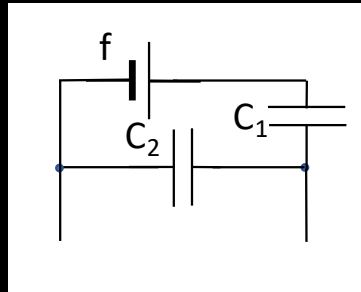
circuati in condizioni stazionarie

1) I due condensatori in figura hanno la stessa capacità C .
 Calcolare l'energia immagazzinata nel circuito nelle due configurazioni:
 A) interruttore aperto B) interruttore chiuso

>>> soluzione: $1/4 Cf^2$; $1/2 Cf^2$



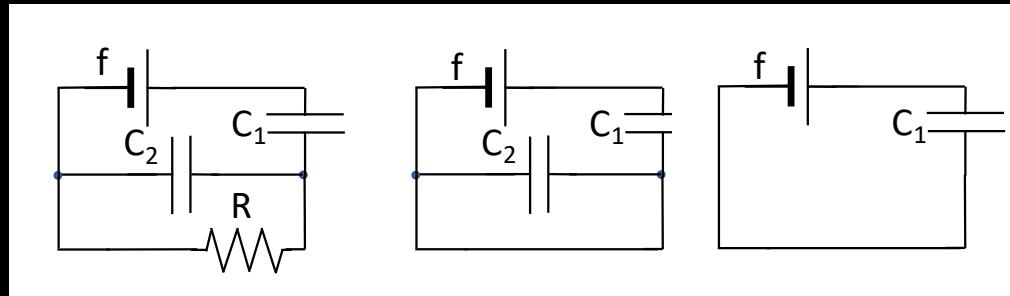
A) interruttore aperto



$$C_S = C_1 C_2 / (C_1 + C_2) = C^2 / 2C = C/2$$

$$U = \frac{1}{2} C/2 f^2$$

B) interruttore chiuso



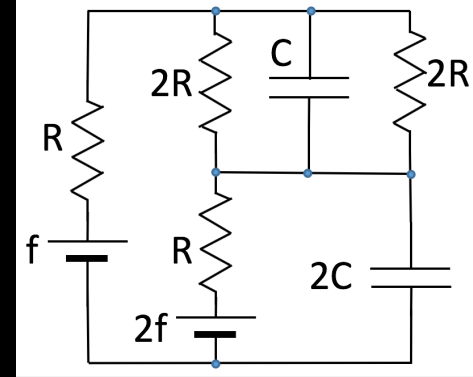
$$\Delta V_R = 0$$

$$\Delta V_{C2} = 0$$

$$C_1 = C \quad U = \frac{1}{2} C f^2$$

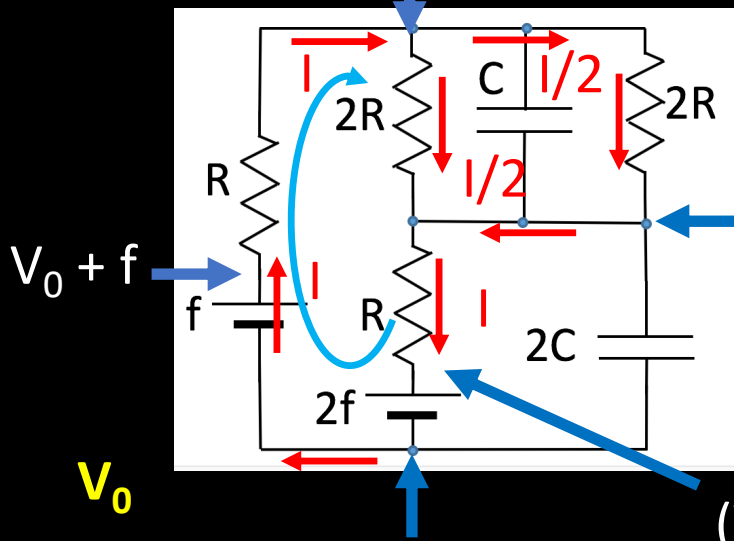


4) Calcolare quanta energia è accumulata e quanta potenza viene dissipata nel circuito in figura in cui $f = 10 \text{ V}$, $R = 100 \Omega$, $C = 100 \text{ nF}$
 >>> soluzione: $85/3 \mu\text{J}$; $1/3 \text{ W}$



$$V_0 + f - R I$$

$$P_{\text{DISS}} = (R + 2R // 2R + R) I^2$$



$$(V_0 + f - R I) - 2R I/2$$

oppure $\rightarrow V_0 + f - 2 R I$

$$(V_0 + f - R I) - R_p I_p = V_0 + f - R I - R I$$

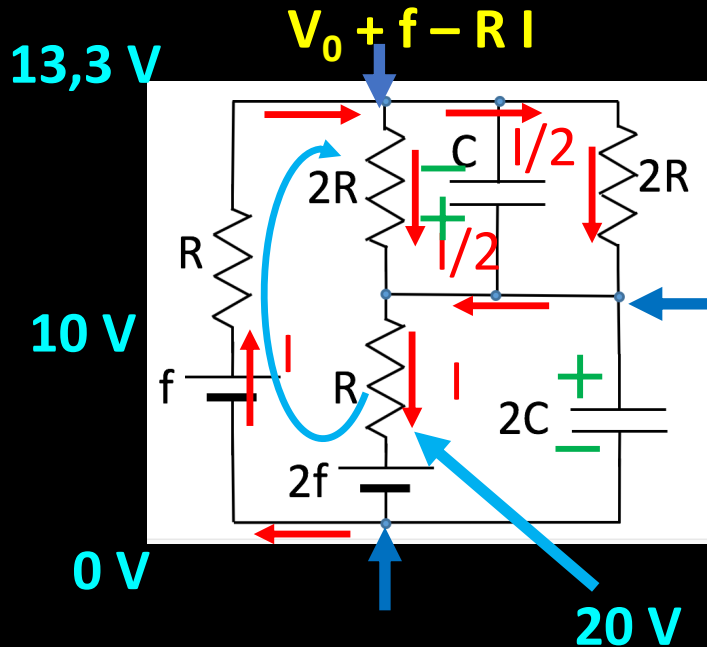
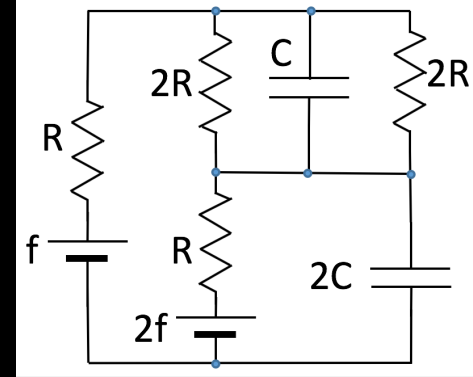
$$2R // 2R = (2R \times 2R) / (2R + 2R) = 4R^2 / 4R = R$$

$$(V_0 + f - 2 R I) - R I$$

$$(V_0 + f - 3 R I) - 2 f = V_0 \rightarrow I = - f / 3R$$



4) Calcolare quanta energia è accumulata e quanta potenza viene dissipata nel circuito in figura in cui $f = 10 \text{ V}$, $R = 100 \text{ } \Omega$, $C = 100 \text{ nF}$
 >>> soluzione: $85/3 \text{ } \mu\text{J}$; $1/3 \text{ W}$



ponendo $V_0 = 0 \text{ V}$

$$16,7 \text{ V}$$

$$V_0 + f - 2 R I$$

$$I = - f/3R = - 33 \text{ mA}$$

$$P_{\text{DISS}} = (R+2R//2R+R) I^2$$

$$= 3 R (-f/3R)^2 = f^2/3R$$

$$\Delta V_C = (V_0 + f - R I) - (V_0 + f - 2 R I) = R I$$

$$= - R f/3R = - f/3$$

$$U_C = \frac{1}{2} C f^2/9$$

$$\Delta V_{2C} = (V_0 + f - 2 R I) - (V_0) = f - 2 R I$$

$$= f + 2 R f/3R = (1+2/3) f = 5/3 f$$

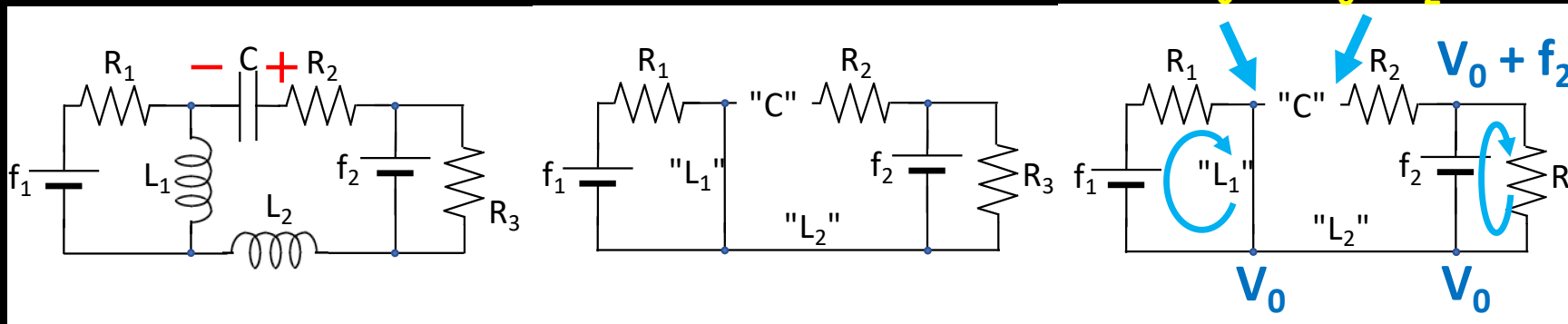
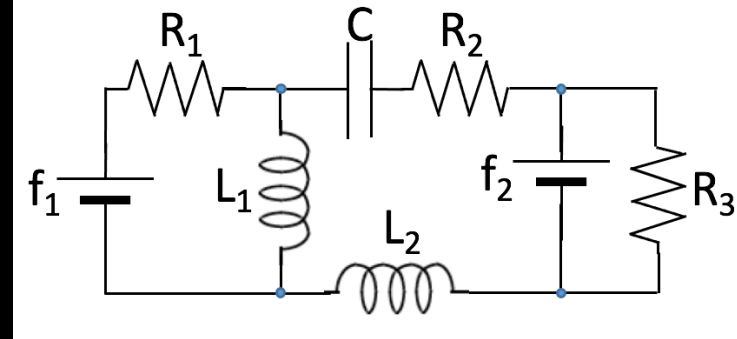
$$U_{2C} = \frac{1}{2} 2C f^2 25/9$$



8) Determinare l'intensità delle correnti che scorrono nelle resistenze e la carica del condensatore.

Dati: $f_1 = 5 \text{ V}$; $f_2 = 8 \text{ V}$; $R_1 = 100 \ \Omega$; $R_2 = 150 \ \Omega$; $R_3 = 200 \ \Omega$,
 $C = 25 \text{ nF}$

>>> soluzione: $I_{R_1} = 50 \text{ mA}$, $I_{R_2} = 0$, $I_{R_3} = 40 \text{ mA}$, $Q = 0,2 \ \mu\text{C}$



$$I_{R_1} = f_1 / R_1 = 5 \text{ V} / 100 \ \Omega = 0,05 \text{ A}$$

$$I_{R_2} = 0$$

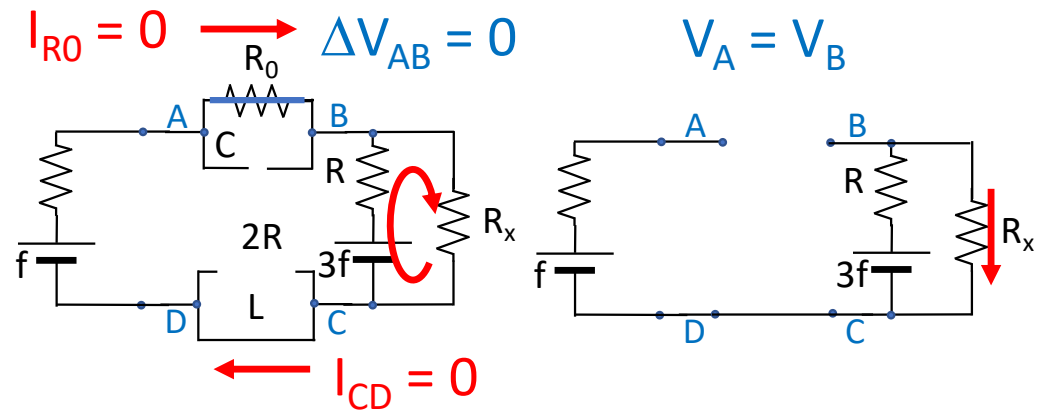
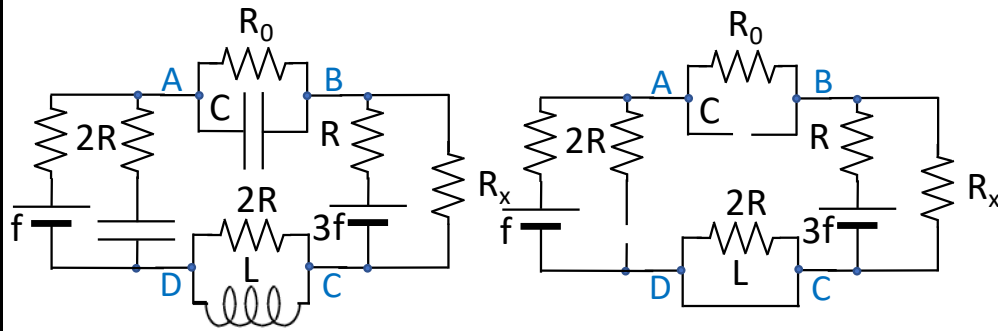
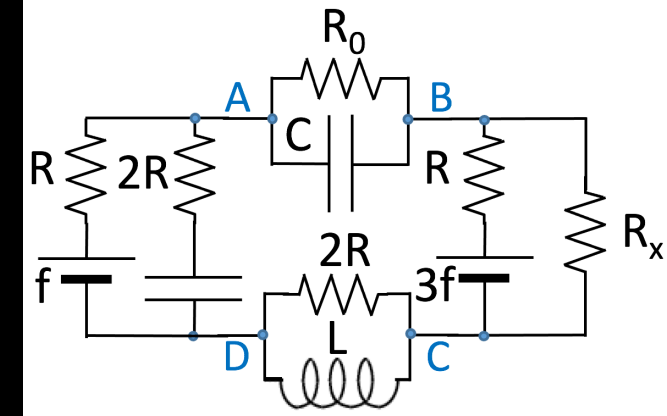
$$I_{R_3} = f_2 / R_3 = 8 \text{ V} / 200 \ \Omega = 0,04 \text{ A}$$

$$\Delta V_C = f_2 \rightarrow Q = C f_2 = 25 \text{ nF} \times 8 \text{ V} = 200 \text{ nC}$$

9) Tra i punti A e B non scorre corrente. Determinare:

- a) l'intensità della corrente che scorre tra i punti C e D
- b) la differenza di potenziale fra i punti A e B e fra i punti C e D
- c) il valore di R_x

>>> soluzione: 0, 0, 0, $R/2$



$$V_A = V_D + f - R \cdot 0 = V_D + f$$

$$V_C + 3f - R \cdot I - R_x \cdot I = V_C \rightarrow I = 3f / (R + R_x)$$

$$V_B = V_C + R_x \cdot I = V_C + R_x \times 3f / (R + R_x)$$

$$V_D + f = V_C + R_x \times 3f / (R + R_x)$$

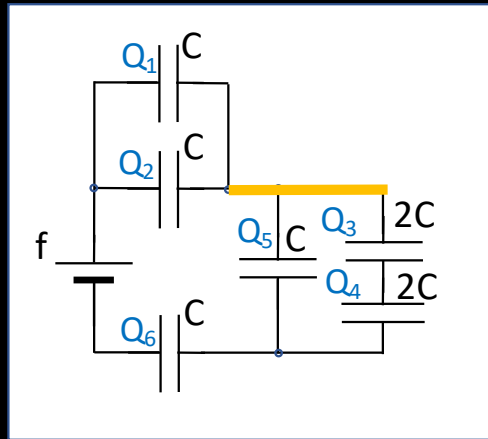
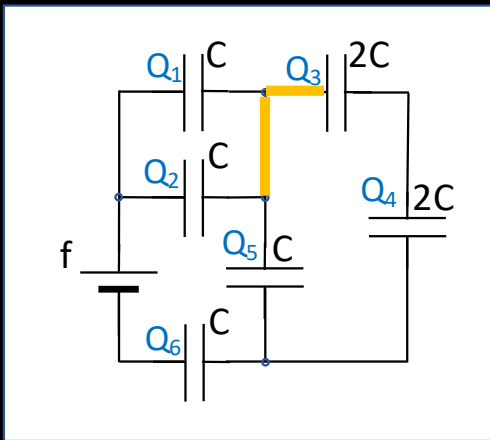
$$f(R + R_x) = 3f R_x$$

$$R = 2R_x$$

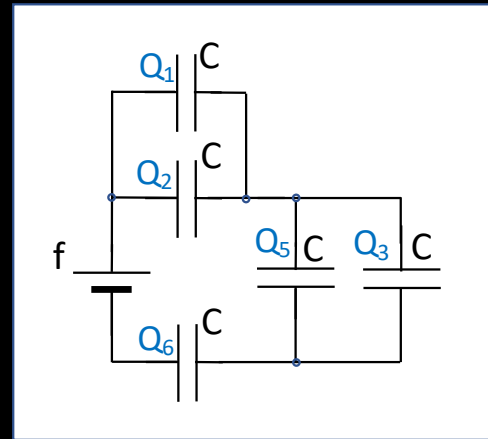


$$1/C_{TOT} = 1/2C + 1/2C + 1/C = (1+1+2)/2C = 2/C$$

$$C_{TOT} = 2C//2C//C = (2C//2C)//C = C//C = C/2$$



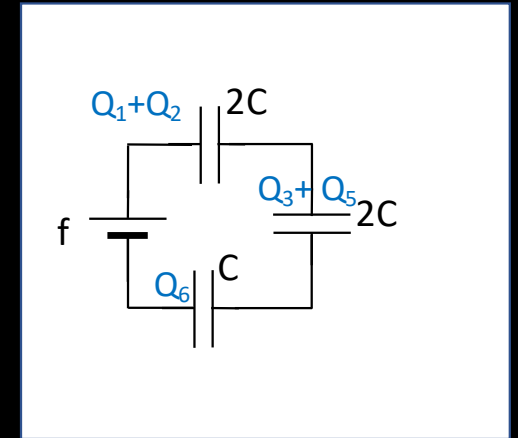
serie: $Q_3 = Q_4$



serie: $Q_1 + Q_2 = Q_3 + Q_5 = -Q_6$

stessa ΔV : $Q_5 = Q_3$

stessa ΔV : $Q_1 = Q_2$



ESONERO...

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VENERDÌ 23 APRILE ORE 8:30-10:00

correnti lentamente variabili

