

Pubblicazioni

Lavori pubblicati su riviste internazionali

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- Fotso Tachago J., Giuliano Gargiulo G., Nnang H. and Zappale, E. Multiscale homogenization of integral convex functionals in Orlicz Sobolev setting, Evolution Equations & Control Theory, (2020-online first) doi = "10.3934/eect.2020067".

¹Convegno SIMAI

²Convegno in onore di R. Caccioppoli

- Kreisbeck C. and Zappale E., Loss of double-integral character during relaxation, (2019) arXiv 1907.13180, to appear in SIAM Journ. of Math. Anal.
- Matias J., Morandotti M., Owen D. R. and Zappale E., Upscaling and spatial localization of non-local energies with persistent nonlinearities, (2019), arXiv1907.02955.
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29 dicembre 2020

Firma

A handwritten signature in black ink, reading "Elisa Zappale". The signature is fluid and cursive, with "Elisa" on the left and "Zappale" on the right, connected by a curved line.